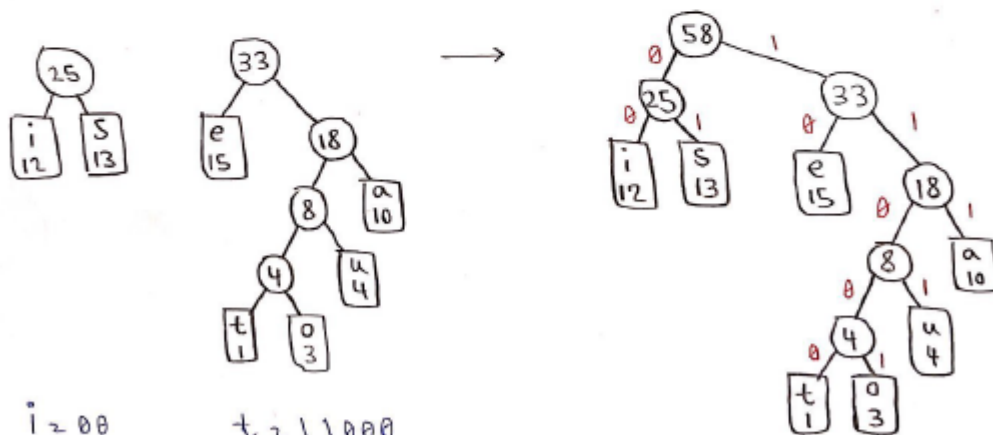
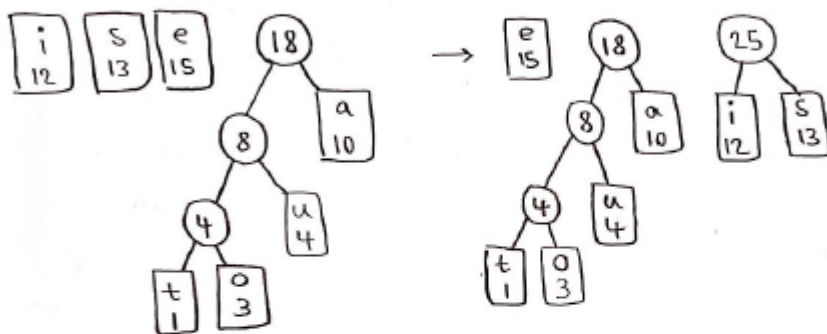
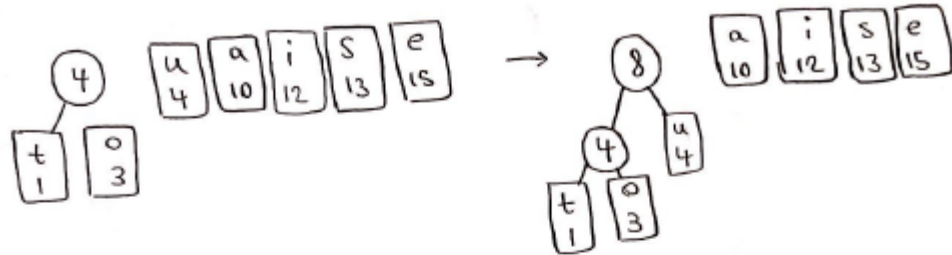
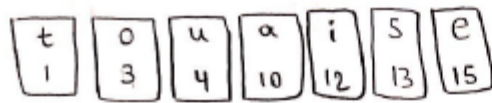


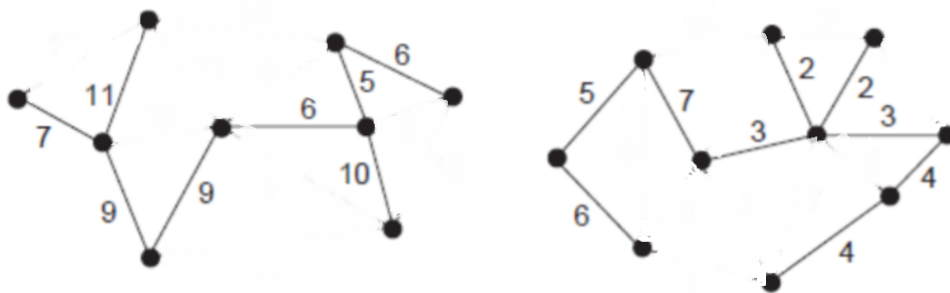
1.



i = 00
s = 01
e = 10
a = 111
u = 1101

t = 11000
o = 11001

2.



3.

```

10 int findMinPlatforms(Trains arrival, Trains departure)           // no-ref, no-
11 const
12 {
13     // sort arrival time of trains
14     sort(arrival.begin(), arrival.end());
15
16     // sort departure time of trains
17     sort(departure.begin(), departure.end());
18
19     // maintains the count of trains
20     int count = 0;
21
22     // stores minimum platforms needed
23     int platforms = 0;
24
25     // take two indices for arrival and departure time
26     int i = 0, j = 0;
27
28     // run till all trains have arrived
29     while (i < arrival.size())
30     {
31         // if a train is scheduled to arrive next
32         if (arrival[i] < departure[j])
33         {
34             // increase the count of trains and update minimum
35             // platforms if required
36             platforms = max(platforms, ++count);
37
38             // move the pointer to the next arrival
39             i++;
40         }
41
42         // if the train is scheduled to depart next i.e.
43         // `departure[j] < arrival[i]`, decrease trains' count
44         // and move pointer `j` to the next departure.
45
46         // If two trains are arriving and departing simultaneously, i.e.
47         // `arrival[i] == departure[j]`, depart the train first
48         else {
49             count--, j++;
50         }
51     }
52
53     return platforms;
54 }

```

4.

```
int result[V];

// Assign the first color to first vertex
result[0] = 0;

// Initialize remaining V-1 vertices as unassigned
for (int u = 1; u < V; u++)
    result[u] = -1; // no color is assigned to u

// A temporary array to store the available colors. True
// value of available[cr] would mean that the color cr is
// assigned to one of its adjacent vertices
bool available[V];
for (int cr = 0; cr < V; cr++)
    available[cr] = false;

// Assign colors to remaining V-1 vertices
for (int u = 1; u < V; u++)
{
    // Process all adjacent vertices and flag their colors
    // as unavailable
    list<int>::iterator i;
    for (i = adj[u].begin(); i != adj[u].end(); ++i)
        if (result[*i] != -1)
            available[result[*i]] = true;

    // Find the first available color
    int cr;
    for (cr = 0; cr < V; cr++)
        if (available[cr] == false)
            break;

    result[u] = cr; // Assign the found color

    // Reset the values back to false for the next iteration
    for (i = adj[u].begin(); i != adj[u].end(); ++i)
        if (result[*i] != -1)
            available[result[*i]] = false;
}
```

5. The **Floyd** algorithm runs in $O(V^3)$. **Kruskal** time complexity worst case is $O(E \log E)$, this is because we need to sort the edges. **Prim** time complexity worst case is $O(E \log V)$ with **priority queue** or even better, $O(E+V \log V)$ with **Fibonacci Heap**. **Dijkstra** calculates the **shortest path tree**, so the result is not necessarily a minimum spanning tree, the algorithms compute different things(but if we implement it with **Fibonacci heap** priority queue, it gives $O(|V| \log |V| + |E|)$). In conclusion, we should use **Kruskal** when the graph is sparse, i.e. small number of edges, like $E=O(V)$, when the edges are already sorted or if we can sort them in linear time.
6. First, we sort jobs by their profit.

work	deadline	profit
3	3	60
7	1	55
6	1	45
1	2	40
4	2	20
2	4	15
5	3	10

Now we solve the problem using the Greedy method. Maximum deadline is 4, so we have 4 slots of time that we can do the jobs within it.

0-----1-----2-----3-----4

Job Considered	Slot assigned	Solution	Profit
j3	[2,3]	j3	60
j7	[2,3] [0,1]	j3,j7	115
j6 (X)	[2,3] [0,1]	j3,j7	115
j1	[2,3][0,1][1,2]	j3,j7,j1	155
j4(X)	[2,3][0,1][1,2]	j3,j7,j1	155
j2	[2,3][0,1][1,2][3,4]	j3,j7,j1,j2	170
j5(X)	[2,3][0,1][1,2][3,4]	j3,j7,j1,j2	170

So we can do the set of { j3,j7,j1,j2 } and the maximum profit is 170 !